

# Deriving Pulsar Properties from Multi-Wavelength **Observations**

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PWNe



- PWNe are the most numerous class of galactic gamma-ray sources at TeV energies (~40% of known emitters).
- A key question is whether emission from PWNe is purely Inverse Compton, or if there's a hadronic component.
- A key metric that determines if hadrons can escape the pulsar into the PWN is the pair-production multiplicity.



Image Credit: H.E.S.S. Collaboration

PWNe



- The pair production multiplicity (kappa) describes the number of e+/e- pairs that escape the light cylinder per electron that escapes the pulsar.
- Protons can only make up 1/kappa particles as they don't multiply in cascades in the pulsar magnetosphere.
- In this project, we aimed to constrain kappa for a population of pulsars that have been observed in the TeV and Radio.
- Built on previous work, just more sources.



Image Credit: IXPE Collaboration

#### Relating Birth Period to Current Day Sizes

- Based on the simulation studies of Van der Swaluw and Wu (2001), one can estimate the birth period of a pulsar using this formula.
- Valid for spherically symmetric systems 10^3-10^4 years old.
- Makes use of the radio PWN and SNR radii to map the true extent of the PWN.

$$
P_0 = 2\pi \left[ \frac{2E_0}{\eta_1 I} \left( \frac{R_{PWN}}{\eta_3 R_{SNR}} \right)^3 + \left( \frac{2\pi}{P_t} \right)^2 \right]^{-1/2}
$$





- The Goldreich-Julian density represents the number of electrons stripped from the pulsar caps
- We then assume the spin-down luminosity of the pulsar evolves as
- The pair production multiplicity is then
- And the age of the pulsar is then

$$
N_{GJ} = \int_{t=0}^{t=-\tau(P_0)} \frac{[6c\dot{E}(t)]^{1/2}}{e}(-dt)
$$
  

$$
\dot{E}(t) = \dot{E}_0 \left(1 + \frac{t}{\tau_0}\right)^{-\frac{(n+1)}{(n-1)}}
$$
  

$$
\langle \kappa \rangle = \frac{N_{el}}{2N_{GJ}}
$$
  

$$
\tau(P_t, \dot{P}_t, P_0, n) = \left(1 - \left(\frac{P_0}{P_t}\right)^{n-1}\right) \times \frac{P_t}{(n-1)\dot{P}_t}
$$



### Obtained the Number of Electrons via Gamma-ray Data

- As the multiplicity depends on the GJ density, which depends on the pulsar age, which depends on the pulsar birth period, we can create curves of kappa as a function of P0.
- This is provided the number of electrons in the PWN is known.
- Use the previous modelling in the literature and to find this. Multiplicities are strictly lower limits because non-gamma-ray emitting electrons not considered.



PSR J1826-1334, form H.E.S.S. Collaboration A&A 621, A116 (2019)



### The Australia Telescope National Facility (ATNF) Catalogue

- As a first limit, we can estimate ranges of values for the lower limit of kappa for sources in the ATNF pulsar catalogue and the H.E.S.S. Galactic Plane Survey (HGPS).
- Assume birth period in the range 10-50ms.
- All sources in this sample have ranges that are compatible with hadrons escaping into the PWN (needs to have kappa below 2m\_p/m\_e (3672).







Collated table from Giacinti et al. 2020 (A&A 636, A113). Uses data from e.g. VLA to give us radii of SNR and PWN counterparts.

#### H.E.S.S. Sources

- Then for the six sources with measured PWN and SNR radii in both the radio, and seen by H.E.S.S., can calculate curves of kappa as a function of P0.
- Using the radio data, we can then estimate P0. Intersection point gives us (a lower limit for) kappa.
- For all except PSR J1747-2809, cannot exclude presence of hadrons in the PWN.









- For all except one source (PSR J1833-1034) we derive birth periods in the range 10-50ms that are broadly consistent with previous estimates (Helfland+ 2001, Camillo+ 2009).
- The value of 55ms we obtain for PSR J1833-1034 disagrees with Camillo+ 2009 who obtain 33ms, this is possibly because the system is too young for the Van der Swaluw+ approach to be valid.
- We don't find any sources with ms birth periods, these have been proposed as potential PeVatrons in the past (Kotera+ 2015).
- Pair production multiplicity limits also reasonable, theoretical cap at 10^5 (Timokhin+ 2019).

#### LHAASO Sources

- Can utilise the same approach for sources recently observed by LHAASO.
- Again cannot exclude the possibility of hadronic escape for reasonable P0 values.



![](_page_10_Picture_5.jpeg)

![](_page_11_Picture_0.jpeg)

![](_page_11_Picture_1.jpeg)

- Pulsar properties can be constrained using a mixture of radio and TeV data.
- We looked at a sample of 26 pulsars observed by ATNF, H.E.S.S. and LHAASO.
- For a subset of these sources, mostly reasonable estimates of P0 and kappa were found. But more radio measurements would allow for the properties of more systems to be constrained.
- PSR J1747-2809 is the only source for which we can exclude the possibility of hadronic escape into the associated PWNe.

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![](_page_12_Picture_1.jpeg)

## Backup

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#### Giacinti et al. 2020

![](_page_13_Picture_1.jpeg)

![](_page_13_Picture_57.jpeg)

Table 1. Properties of selected well-known PWN systems in different evolutionary stages, ordered according to the system age.

Notes. (a) The pulsar characteristic age is used for the age of the system, except where historical values are known. (b) Associated pulsar (PSR). Pulsar properties are taken from Manchester et al. (2005). <sup>(c)</sup>Putative pulsar candidate identified without pulsed emission detected by Temim et al. (2009). (d) Unknown quantities are marked by "?". (e)  $R_{\text{PWN}}$  is the size of the PWN in radio (as opposed to the radio SNR shell).  $\mathcal{P}_{v \times t}$  is the pulsar kick velocity multiplied by the age of the system, where a value of 300 km  $s^{-1}$  is adopted for the velocity, corresponding to the average of known values (Hansen & Phinney 1997). (9)  $R_{\text{TeV}}$  is the one sigma radius taken from Abdalla et al. (2018b) for sources within the H.E.S.S. Galactic Plane Survey (HGPS), unless a reference is provided. <sup>(h)</sup>Stage of system evolution is assigned loosely based on age, which corresponds to Fig. 1. References. I: Frail et al. (1995), Kargaltsev et al. (2015), II: Caswell et al. (1981), Du Plessis et al. (1995), Trussoni et al. (1996), Mineo et al. (2001); III: Matheson & Safi-Harb (2010), Safi-Harb et al. (2001); IV: Green (2014), Green (2017), Dubner et al. (2008), Porquet et al. (2003); V: Duncan et al. (1996), Dwarakanath (1991), Tibaldo et al. (2018); VI: Ma et al. (2016), Temim et al. (2015); VII: Stupar et al. (2008), Duvidovich et al. (2019), Pavlov et al. (2008), Uchiyama et al. (2009); VIII: Pellizzoni et al. (2011), Abeysekara et al. (2017a), Posselt et al. (2017), Caraveo et al.  $(2003)$ .

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